URBAN DELIVERY INDUSTRY RESPONSE TO CORDON PRICING, TIME-DISTANCE PRICING, AND CARRIER-RECEIVER POLICIES IN COMPETITIVE MARKETS

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ABSTRACT

The paper presents a set of analytical formulations to study the behavior of the urban delivery industry in response to cordon time-of-day pricing, time-distance pricing, and comprehensive financial policies targeting carriers and receivers. This is accomplished by modeling the behavior of receivers in response to financial incentives, and the ensuing behavior of the carrier in response to both pricing and the receivers' decisions concerning off-hour deliveries. The analytical formulations consider both the base case condition, and a mixed operation with both regular hour and off-hour deliveries; two pricing schemes: cordon time of day, and time-distance pricing; two types of operations: single tour, and multi-tour carriers; and three different scenarios in terms of profitability of the carrier operation, which include an approximation to the best case, the expected value, and the worst case. The analyses highlight the limitations of pricing-only approaches. In the case of cordon time of day pricing, the chief conclusion is that it is of limited use as a freight demand management tool because: (1) in a competitive market the cordon toll cannot be transferred to the receivers as it is a fixed cost; and (2) the structure of the cost function, that only provides an incentive to the carrier to switch to the off-hours when all the receivers in the tour switch to the off-hours. In essence, the key policy implication is that in order to change the joint behavior of carrier and receivers, financial incentives—or programs that foster unassisted off-hour deliveries—should be made available to receivers in exchange for their commitment to do off-hour deliveries. As the paper proves, if a meaningful number of receivers switch to the off-hours, the carriers are likely to follow suit.

Keywords: Freight demand management, freight pricing, congestion pricing, incentives, carrierreceiver interactions

INTRODUCTION

The paper builds on the author's previous work [\(Holguín-Veras, 2008\)](#page-21-0) that outlined the necessary conditions for such policies to succeed in inducing a shift of truck traffic to the offhours. The main focus is on the development of analytical formulations to assess the impact of policies targeting receivers and carriers. The formulations are developed with the assistance of conceptualizations of the behavior of carriers and receivers. The resulting models are then used in numerical experiments to examine the impacts of off-hour deliveries on the industry.

The paper considers the case of a single carrier that is delivering goods to a set of receivers during the regular hours (base case conditions) from a location outside of the tolled area, which represents the most typical case. It is also assumed that as a consequence of carrier-receiver policies, some or all receivers decide to receive goods during the off-hours, while others prefer receiving regular hour deliveries, and that no customers are lost because of the partition. Under these circumstances, the carrier would need to make two tours (i.e., regular and off-hours), and decide whether or not to conduct off-hour deliveries on the basis of the financial impacts associated with the resulting mixed operation. The formulations discussed in the paper are intended to help gain insight into the joint carrier-receiver response. (Although it is certainly possible that some carriers could do both regular and off-hour deliveries in the same tour by proper timing of the deliveries, or by waiting inside the tolled area, these cases are not considered here for the sake of brevity. This should be the subject of future research.)

The paper focuses on independent carrier-receiver operations, and two different sub-cases of operational patterns (i.e., single, and multi-tour carriers). Independent carrier-receiver operations refer to the situation in which carrier and receiver are separate companies, each trying to maximize profits; as opposed to integrated carrier-receiver operations where both carrier and receiver belong to the same parent company. Since the latter case was sufficiently discussed in a previous publication [\(Holguín-Veras, 2008\)](#page-21-0), there is no need to repeat the discussion here.

Two different toll schemes are considered. The first one is a cordon time of day system with a toll surcharge for travel during the regular hours, which is one of the most common road pricing schemes. Other pricing concepts, e.g., the carrier only pays the toll surcharge once a day, could be accommodated by suitable adjustments to the toll surcharge. The second one is a timedistance tolling regime with tolls that are a function of time spent and distance traveled in the tolled area. To a great extent, the notation follows the author's previous work [\(Holguín-Veras,](#page-21-0) [2008\)](#page-21-0). Throughout the paper, the subscripts i, and j refer to receiver i, and carrier j, respectively. Superscripts BC, R and O refer to base case, regular, and off-hour operations, respectively.

The paper has eight major chapters, in addition to the introduction. Chapter 2 discusses carrierreceiver interactions. Chapter 3 focuses on receiver behavior. Chapters 4 and 5 analyze the

joint behavior of carriers and receivers under cordon time of day pricing and time-distance pricing, respectively. Chapter 6 considers the second order effects on carrier and receivers. Chapter 7 analyzes policy implications.

CARRIER-RECEIVER INTERACTIONS

Conducting off-hour deliveries require the participation of different economic agents (e.g., shippers, carriers, warehouses, receivers). However, in terms of the role played in the decision concerning delivery times, receivers and carriers stand out. The reason is that shippers and warehouses can, in most cases, accommodate off-hour deliveries without too much trouble. Shippers could support off-hour deliveries by: ship goods late in the day to support night deliveries, or preload trucks for deliveries in the early hours of the day. Similarly, since most warehouses (that many identify as the source of most urban deliveries) are open at least partially during the off-hours, they could support off-hour deliveries with minimal inconvenience. These reasons suggest to focus on carriers and receivers [\(Ogden, 1992\)](#page-21-1).

Consider a carrier and a receiver that are trying to decide on the delivery time (regular hours, or off-hours). In the case of independent carrier and receivers, since each of them is trying to independently maximize its own profits, their interaction belongs to the class of non-cooperative (Nash) games. (Obviously, if carrier and receiver are part of the same company as in private carrier operations, the interaction reduces to the much simpler optimization problem of determining what is best for the joint operation.) To gain insight into the nature of their interactions, it is important to analyze the corresponding pay-off matrix, shown in [Figure 1](#page-2-0) [\(Holguín-Veras et al., 2007a\)](#page-21-2).

The four quadrants outline all the possibilities. Quadrants II and III represent the cases in which carrier and receiver do not agree on a delivery time. In such cases, both sides have negative payoffs (i.e., the receiver does not get its deliveries, and the carrier may be fired) so it is safe to assume that both of them would avoid the outcome. Obviously, if they cannot agree, they would part ways and the interaction would resume with a new set of agents until an agreement is found.

Quadrants I and IV represent the situations in which an agreement is reached on the delivery time. The solutions outlined in these quadrants have very different impacts. In the case of regular hour deliveries (quadrant I), the receiver benefits because it handles the deliveries when

there is staff at hand at minimal extra cost; while the carrier has to contend with the lower productivity due to congestion. During the off-hours, the situation reverses as the receiver is the one facing a negative impact, i.e., the larger costs associated with extending operations to the off-hours; while the carrier benefits from the higher productivity associated with less congestion. This leads to a situation in which carrier and receiver favor different solutions. This situation corresponds to the inappropriately called "Battle of the Sexes" game [\(Rasmusen, 2001\)](#page-21-3), which is known to have two Nash equilibria, i.e., quadrants I and IV, in which the final outcome is imposed by the player with most clout. Since the data show that the majority of deliveries are made during the regular hours (96% in New York City), it is obvious that receivers play the dominant role [\(Holguín-Veras et al., 2007a\)](#page-21-2). This should not surprise anyone, since the carriers must be responsive to the wish of receivers—who are the customers—or running the risk of going out of business. It follows that, in order to induce the urban delivery industry to operate during the off-hours, appropriate policy stimuli must reach the receivers so that the equilibrium solution that they favor changes from the regular to the off-hours, i.e., quadrant IV. The recognition that receivers must be the target of policy making is front and center of the concepts discussed here.

In the case of carrier centered policies, e.g. freight road pricing, a policy stimuli is applied to the carrier. The fundamental assumption is that the policy stimuli applied to the carrier would prompt the carrier to send a price signal m_i to the receivers that would induce them to switch to the offhours. Once the receiver(s) make(s) its decision about off-hour deliveries, the carrier has to decide whether or not to do off-hour deliveries. Obviously, for carrier-centered policies to succeed: (1) carriers must be able to pass the toll cost m_j to all receivers; and, (2) m_j must be strong enough to induce all receivers (or at least a majority) to switch the off-hours. The paper tries to elucidate if this is likely to happen in competitive markets.

Receiver centered policies apply a stimulus to the receivers (e.g., incentives for participation in off-hour deliveries, or regulations like banning truck deliveries during the regular hours of the day). On the basis of such stimuli, the receivers decide how to respond and send a signal F_{ii} to the carrier, that then has to decide how to proceed. Carrier-receiver policies, as their name suggests, target both carriers and receivers by means of a duplet of stimuli aimed at inducing a switch to the off-hours. This case obviously includes carrier centered, and receiver centered policies as extreme points.

The main objective of the paper is on assessing the impacts of such stimuli on the joint behavior of carriers and receivers. For simplicity of exposition, the formulations are obtained for carrierreceiver policies.

RECEIVER BEHAVIOR

This paper considers the case of N^{BC} receivers R_i that are served by a carrier j during the regular hours (base case conditions) such that $R_i\in \Omega_j^{BC}$. It is assumed that receivers: are randomly located over an urban area of rectangular shape, are observationally identical, and have a probability $P(R_i \in \Omega_j^O / F) = P(F)$ of participating in off-hour deliveries. This probability is a monotonic function of an external incentive, F, aimed at fostering off-hour deliveries such that $P(R_i \in \Omega_j^0 / 0) = P(0) = p_0$ and $P(R_i \in \Omega_j^0 / \infty) = P(\infty) = 1$ $P_i \in \Omega_j^O / \infty$ = $P(\infty)$ = 1. The probability p0 represents the fraction of receivers that accept off-hour deliveries in the base case conditions, i.e., in absence of a financial incentive. This probability seems to be relatively small, e.g., 4% in New York City [\(Holguín-Veras et al., 2007a\)](#page-21-2). For discussions on these incentives, the reader is referred elsewhere [\(Holguín-Veras et al., 2007a;](#page-21-2) [2007b\)](#page-21-4).

In the most general case, as a result of the incentive, some receivers may elect to accept offhour deliveries, while others may choose to stay within the regular hours. This leads to a mixed operation in which the carrier has to deliver during both the regular and the off-hours, unless all receivers switch to the off-hours which leads to the elimination of the regular hours tour. The distribution and location of the receivers that accept either regular or off-hour deliveries have a significant impact on the carrier costs. Intuitively, one would expect that the tour length is a function of the service area so that the larger the area, the longer the tour and the higher the corresponding delivery costs. Equally important to the carrier is that the delivery cost in a mixed operation, (i.e., with regular and off-hour deliveries) depends on the combined impact of the service areas that arise after the receivers decide on the service they prefer. According to the derivations presented in [\(Holguín-Veras, 2011\)](#page-21-5), the function proposed by Beardwood et al. (1959), provide solid estimates of the optimal tour length: \ λ

$$
D = \phi \sqrt{AN} \tag{1}
$$

Where: A is the area of the minimum size rectangle that envelopes all stops (customers) to visit, and N is the number of stops (customers).

For the expected value case, some substitutions, and letting $A_0 = L_{ox} L_{oy}$, leads to:

$$
D = \phi \left(\frac{N-1}{N+1} \right) \sqrt{A_o N} \tag{2}
$$

Because of the random nature of the underlying process, it is important to consider the range of configurations that could arise from the receivers' decisions. Consider the nine receivers shown under "Base Case" in **Error! Reference source not found.**. Assume now that, as a consequence of a policy incentive, some of them decide to accept off-hour deliveries (solid circles), while others decide not to change (white circles). Cases A thru D represent some possible configurations. As a result of the split decision on the part of the receivers, the carrier has to decide whether to provide a mixed service (with regular and off-hour deliveries), or to

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refuse to do off-hour deliveries and provide service only during the regular hours. The paper assumes that this decision is made on the basis of the cost impacts to the carrier. If the mixed operation leads the carrier to save money, the paper assumes that the carrier will select it; otherwise, the carrier will choose to remain with the base case service. However, as suggested before, the cost impacts to the carrier depends on the service areas that arise from the receivers' decisions.

In cases A and B there is geographic segmentation of the market with regular hour receivers in one area, and off-hour receivers in the other. In contrast, in cases C and D there is little or no segmentation as their service areas overlap. In general, the service area for the mixed operation could be less than (Case A), equal to (Case B), or larger than (Cases C and D) the original service area. Case D is the upper bound of the service area for the mixed operation, in which regular and off-hour deliveries end up with service areas equal to the original one; while the lower bound is a variant of Case A.

It should be pointed out that having geographically segmented sets of receivers in off-hours and regular hours—such as those exemplified in Case A—could significantly increase the profitability of the mixed operation as it may lead to smaller combined service areas. This may be a good reason to provide incentive to receivers on a geographic basis, e.g., a downtown area, as doing so will make it easier for the carriers to benefit from the resulting mixed operation.

Due to its stochastic nature, it is not possible to make generalizations about the configuration of service areas that would arise in a particular instance. However, there are two exceptions: (1) non-overlapping service areas proportional to the number of customers in each group with a combined service area equal to the original one (a sub-case of B); and (2) perfectly overlapping service areas (Case D). The former case is referred as perfectly complementary (PC) service areas; and the latter as perfectly overlapping (PO) service areas. These cases, together with the expected value of the maximum separation between receivers, describe the range of results. Mathematically:

A) Perfectly complementary (PC) service areas

$$
A^{BC} = A^R + A^O = A
$$
\n
$$
A^R = \frac{N^R}{N^{BC}} A^{BC}
$$
\n(3)

$$
A^{\circ} = \frac{N^{\circ}}{N^{BC}} A^{BC}
$$
 (5)

B) Perfectly overlapping (PO) service areas $A^{R} + A^{O} = 2A^{BC}$

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(6)

Figure 2 – Sample configurations of service areas resulting from partitioning

Note: A rectangle with dashed lines represent the service area for the customers denoted with white circles; while a rectangle with solid lines represents the same for the customers denoted by solid circles. To facilitate interpretation, the rectangles have been offset so that they do not overlap.

Using equation (5), the expected value of the total area for the mixed operation becomes:

$$
A^{M} = A^{R} + A^{O} = \left(\frac{N^{R} - 1}{N^{R} + 1}\right)^{2} L_{ox} L_{oy} + \left(\frac{N^{O} - 1}{N^{O} + 1}\right)^{2} L_{ox} L_{oy} = \left[\left(\frac{N^{R} - 1}{N^{R} + 1}\right)^{2} + \left(\frac{N^{O} - 1}{N^{O} + 1}\right)^{2}\right] L_{ox} L_{oy}
$$
 (8)

$$
A^{BC} = \left(\frac{N^{BC} - 1}{N^{BC} + 1}\right)^{2} L_{ox} L_{oy}
$$
 (9)

As shown, there is a wide range of operational conditions that could arise. At one of the spectrum, the service area in the mixed operation could be smaller than in the base case, e.g., Case A of **Error! Reference source not found.**; while at the other end it could double the size of the area under the base case conditions. However, the expected value indicate that in average an increase in the service area is likely, and that the maximum increase in the service area for the mixed operation would take place when the number of customers shifting to the offhours is half the one in the base case. If only one customer is left in either the regular or offhours, the service area would decrease for the mixed operation as one of the terms in equation (8) would vanish.

Having discussed how the receivers' decisions may impact the carriers' service areas and, ultimately, the carrier's decision it is important to analyze the fundamental aspects of carrier and receiver decision making under: cordon based time of day pricing, and time-distance based pricing. For brevity of exposition, derivations are provided only for the cordon time of day case.

CASE I: CARRIER-RECEIVER RESPONSE UNDER CORDON TIME OF DAY PRICING

This chapter considers the case in which there is a toll surcharge for truck travel during the regular hours that is assessed at a cordon surrounding the tolled area. This is the pricing scheme most frequently implemented (e.g., London, Singapore, and the Hudson River crossings in New York City). The popularity of cordon time of day pricing stems from its practicality as it reduces the number of tolling points, and the initial investment and disturbances to the traffic. It should be said that the scheme works quite well, particularly for passenger car demand management purposes. However, as discussed later in the paper, this scheme has significant limitations that hamper its effectiveness for freight demand management.

Two different cases of trucking operations (i.e., single and multi-tour carriers) are considered. The former case considers the situation in which the carrier only makes a single tour to the study area during the day, while the latter discusses the case in which multiple tours are made. Although the single tour is a particular instance of the multi-tour case, it provides a nice introduction to the most complex multi-tour case that leads to conclusions that, for the most part, carry over to multi-tour operations.

Single Tour Carriers Under Cordon Based Time of Day Pricing

This section considers a carrier j that is making a single delivery tour to a set $\Omega_j^{\scriptscriptstyle BC}$ of receivers i during the regular hours (base case conditions) such that $R_i\, \in \Omega^{BC}_j$. This is a key segment of

the truck traffic as it represents a significant portion of the total truck traffic The analyses of data for New York City indicate that single tour carriers are about 40% of the total, while data from Denver suggest 72% [\(Holguín-Veras and Patil, 2005\)](#page-21-6). Assume now that the carrier is considering doing off-hour deliveries in response to requests received from its customers. As discussed in the previous section, this leads to the partition of the original set of customers into a subset of receivers that prefers regular hour deliveries ($\Omega_j^{\scriptscriptstyle R}$), and the receivers preferring off-

hours (Ω_j^o). It is assumed that no customers are lost because of the partition.

Consider the expenditure function representing the base case (BC) conditions. The total cost is a function of the fixed costs, distance and time to complete the tour, and a toll surcharge to be paid when traveling during the regular hours. The fixed cost has two components: the cost associated with traveling from the home base to the customers' location, and the cost of traveling back to the home base. The unit distance cost takes into account the expenditures associated with operating costs that depend on distance traveled; while the unit time cost includes time related items, most notably wages and cargo's time value. Consider now the case of a mixed operation (M) in which both regular and off-hour deliveries are conducted, i.e., $N^O < N^{BC}$. In this context, the total cost is comprised of the summation of the costs for regular

and the off-hour operations (denoted by the superscripts R and O, respectively). Thus, the total cost for the mixed operation is:

$$
C_j^M = [(C_{FC}^R + C_{HB}^R) + (C_{FC}^O + C_{HB}^O)] + [c_D^R D^R + c_D^O D^O] + [c_T^R T^R + c_T^O T^O] + S^R
$$
\n(10)

The first term represents the total fixed cost associated with the mixed operation, i.e., the summation of the costs associated with the trip to reach the first customer and the return to the home base, during both the regular and the off-hours. The second and the third terms are the distance and time costs, respectively. The fourth term is the toll surcharge for regular hour travel.

As discussed elsewhere [\(Holguín-Veras, 2008\)](#page-21-0), the mixed operation would be profitable to the carrier if its net profits are larger than the one for the base case. Following the derivation in [\(Holguín-Veras, 2009\)](#page-21-7), one could obtain:

$$
\left[(C_{FC}^{R} + C_{HB}^{R}) + (C_{FC}^{O} + C_{HB}^{O}) - (C_{FC}^{BC} + C_{HB}^{BC}) \right] + \left[c_{D}^{R} D^{R} + c_{D}^{O} D^{O} - c_{D}^{BC} D^{BC} \right] + \left[c_{T}^{R} T^{R} + c_{T}^{O} T^{O} - c_{T}^{BC} T^{BC} \right] \leq \Delta G_{j}, \forall_{N^{O} < N^{BC}} \tag{11}
$$

Where: $\Delta G_i = G_i^M - G_i^{BC}$ $\Delta G_j = G_j^M - G_j^{BC}$ represent the change in the gross revenues associated with the change of operations.

Equation (11) captures the conditions that must be met for the carrier to participate in off-hour deliveries in terms of the cost components. The most striking feature of equation (11) is the absence of the toll surcharge, which disappears from the incremental cost because the carrier

has to travel during both the regular and the off-hours. This implies that, for a sizable segment of the intended target, cordon time of day tolls do not play any role whatsoever in inducing the carriers to switch to the off-hours. In other words, increasing the tolls only reduces the carrier's profits. Not surprisingly, the carriers oppose such tolls which they, correctly it seems, call ineffective.

The only situation in which the cordon tolls play a role is when all receivers in the tour decide to switch to the off-hours. Assuming that both the fixed cost and the distance related costs in the off-hours are equal to the base case values:

$$
c_T^{\,0}T^{\,0} - c_T^{\,BC}T^{\,BC} - S^{\,R} \leq \Delta G_j \,, \forall_{N^{\,0} = N^{\,BC}}
$$
\n
$$
\tag{12}
$$

Equation (12) indicates the existence of a policy paradox. Equation (11) clearly shows that unless all receivers switch to the off-hours, the toll surcharge plays no role in inducing the carrier to switch. However, equation (12) implies that as long as delivering in the off-hours is cheaper than during the regular hours (which is generally the case), the toll surcharge is not needed to induce the carriers to switch to the off-hours. In other words, a cordon toll is not likely to be of any use for freight demand management purposes (though it could play an important revenue generation role). These results lead to question the use of cordon time-of-day pricing for freight demand management purposes.

The analyses that follow focus on the general case where the original receivers are split between the regular and the off-hours. At key places of the write up, the particular case where all receivers switch to the off-hours is discussed to provide a complete picture of the anticipated behavioral response. To facilitate the analyses, equation (11) has been transformed into equation (13) that expresses the incremental total cost as a function of the incremental fixed cost, incremental distance cost, incremental time cost, and incremental toll cost (that, unless all receivers switch to the off-hours, is equal to zero):

$$
\Delta C_F + \Delta C_D + \Delta C_T + \Delta C_S \le \Delta G_j \tag{13}
$$

Incremental fixed costs

The incremental fixed cost (ΔC_F) represents the increase in fixed costs, i.e., the ones associated with traveling from the home base to the customers' location and back, between the mixed and base case operations. The reader shall notice that in most cases the fixed costs for both the base case and the regular hours of the mixed operation are likely to be very similar. In such a case, the incremental fixed cost could be approximated by equation (14) that shows that the incremental fixed cost is equal to the one associated with the off-hour deliveries. Obviously, if all the receivers switch to the off-hours the incremental fixed cost vanishes.

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$$
\Delta C_F \cong \begin{cases} (C_{FC}^O + C_{HB}^O), \forall_{N^O < N^{BC} \\ 0, \forall_{N^O = N^{BC}} \end{cases} \tag{14}
$$

This result indicates that proximity to off-hour customers has a key role in determining the profitability of off-hour delivery operations as the farther a carrier is from its customers, the less profitable it is to diversify operations via an off-hour deliveries program. This finding is consistent with the discrete choice models estimated using stated preference data collected from a sample of carriers [\(Holguín-Veras, 2006\)](#page-21-8).

Incremental distance costs

The incremental distance cost captures the additional distance related costs the carrier would incur if it decides to do off-hour deliveries. The paper assumes that the incremental distance cost for the situation in which all receivers are in the off-hours is equal to zero. Furthermore, since the unit distance costs are likely to be very similar (if not exactly the same), because they are determined by road conditions and other factors that are the same regardless of time of travel, one could obtain:

$$
\Delta C_D = \begin{cases} c_D \left(D^R + D^O - D^{BC} \right) \forall_{N^O < N^{BC}} \\ 0, \forall_{N^O = N^{BC}} \end{cases} \tag{15}
$$

To compute the travel distances the expected travel distance is approximated with the expression in equation (2).

As a result, for the expected value, the incremental distance cost is:

$$
\Delta C_{D} = \begin{cases} \phi c_{D} \sqrt{L_{ox} L_{oy}} \left[\left(\frac{N^{R} - 1}{N^{R} + 1} \right) \sqrt{N^{R}} + \left(\frac{N^{O} - 1}{N^{O} + 1} \right) \sqrt{N^{O}} - \left(\frac{N^{BC} - 1}{N^{BC} + 1} \right) \sqrt{N^{BC}} \right] , \forall_{N^{O} < N^{BC}} \\ 0, \forall_{N^{O} = N^{BC}} \end{cases} \tag{16}
$$

Equation (16) suggests that an increase in travel distance is likely as the first two terms are likely to be larger than the third. The exceptions would be the case in which only one customer is in either the regular or the off-hours, because one of the first two terms would vanish, and when there is a geographic segmentation of receivers.

Incremental time costs

The incremental time costs are estimated using the approximation model of equation (2) and average travel speeds for the regular and off-hours. Following the derivation in [\(Holguín-Veras,](#page-21-7) [2009\)](#page-21-7) and expressing: the travel speed during the off-hours as a function of the regular hours speed times a factor $\gamma > 1$, the unit time cost during the off-hours as a function of the unit time cost during the regular hours and a parameter of approximation $\theta > 1$, and noting that $c_{r}^{BC} = c_{r}^{BC}$ *T BC* $c_T^{BC} = c$. The incremental cost is:

$$
\Delta C_{T} = \begin{cases} \phi \frac{c_{T}^{R}}{u^{R}} \sqrt{A_{o}} \left[\left(\frac{N^{R} - 1}{N^{R} + 1} \right) \sqrt{N^{R}} + \frac{\theta}{\gamma} \left(\frac{N^{O} - 1}{N^{O} + 1} \right) \sqrt{N^{O}} - \left(\frac{N^{BC} - 1}{N^{BC} + 1} \right) \sqrt{N^{BC}} \right], \forall_{N^{O} < N^{BC}} \\ \phi \frac{c_{T}^{R}}{u^{R}} \sqrt{A_{o} N^{BC}} \left[\frac{\theta}{\gamma} - 1 \right] \left(\frac{N^{BC} - 1}{N^{BC} + 1} \right), \forall_{N^{O} = N^{BC}} \end{cases} \tag{17}
$$

This suggests that carriers operating in congested urban areas are the ones that stand to gain the most from off-hour deliveries as in these cases the ratio of the speeds is the largest, leading to smaller values of the ratio $\theta/\gamma\,$ and larger savings.

Incremental toll costs

The incremental toll costs depend on whether or not the carrier could eliminate the regular hour tour. In the most general condition, where some receivers decide to stay during the regular hours, the incremental toll costs will be equal to zero. Only if all receivers switch to the off-hours, the carrier will save the cost of the toll (negative cost).

$$
\Delta C_{S} = \begin{cases} 0, \forall_{N^{O} < N^{BC} \\ -S^{R}, \forall_{N^{O} = N^{BC}} \end{cases} \tag{181}
$$

The derivations show that there could be significant differences in terms of the incremental distance and time costs. The formulations reveal that mixed operations are likely to lead to relatively small increases in incremental distance costs that is bounded from above by a factor of $\sqrt{2}$, though there are cases in which it could be either zero (as in the perfectly complementary case) or even negative (leading to cost savings) as in Case A of **Error! Reference source not found.**. The most important component of the incremental total cost is its time component. The results show that, at one end of the spectrum (perfectly complementary case), there would always be time cost savings as long as $\theta/\gamma < 1$, i.e., if the increase in wages is smaller than the increase in travel speed. At the other end (perfectly overlapping case), there could be cost increases though they are expected to be lower than 1.2 of base costs. The expected value depends on the number of receivers that decide to switch to the off-hours, i.e., the more

receivers switch the off-hours the larger the savings. If all receivers switch the off-hours, the savings would amount to $(\theta/\gamma-1)$ of base case costs, i.e., 57.5% for $\theta = 1.15$ and $\gamma = 2$ in the New York City case. In absolute value, these are significant savings given the high values of travel times observed in real life that sometimes exceeds \$60/hour [\(Holguín-Veras and Brom,](#page-21-9) [2008\)](#page-21-9).

Case II: Multi-tour Carriers under Cordon Based Time of Day Pricing

This case considers carriers that make more than one delivery tour per unit time to the study area. The sparse data available on truck tours [\(Holguín-Veras and Patil, 2005;](#page-21-6) [Holguín-Veras,](#page-21-0) [2008\)](#page-21-0), indicate that multi-tour carriers represent between 28% to 60% of the total tours. As a consequence of their operational features, multi-tour carriers are likely to exhibit behavioral responses different than those exhibited by single tour carriers. Faced with the prospect of implementing a mixed operation with both regular hour and off-hour delivery tours, these carriers could rearrange, consolidate and modify tours at their convenience. Furthermore, since the number of stops per tour decreases with the number of tours per day [\(Holguín-Veras and](#page-21-6) [Patil, 2005\)](#page-21-6), multi-tour carriers may have an easier time doing off-hour deliveries because they have to coordinate with less customers per tour than single-tour carriers. As a result of this, multi-tour carriers have more flexibility than their counterparts.

This section assumes that: carrier j is making multiple delivery tours to the study area; receivers are only served by this carrier; and tours are relatively similar, in terms of the tour distance, time and number of stops. This is an acceptable assumption because truck dispatchers tend to balance service areas and number of customers to visit by each driver [\(Tang and Miller-Hooks,](#page-21-10) [2006\)](#page-21-10). Under these assumptions, the average values (denoted by upper bars) may be assumed to provide a good way to assess the performance of the operation. The symbol KBC denotes the number of tours in the base case conditions; while KR, and KO represent the number of tours for the regular and off-hours part of the mixed operation. According to the derivations presented in [\(Holguín-Veras, 2011\)](#page-21-5), the incremental cost can be decomposed in its key components as follows:

$$
\Delta C_j = \Delta C_F + \Delta C_D + \Delta C_T + \Delta C_S \tag{19}
$$

Where:

$$
\Delta C_F = \left((\overline{C}_{FC}^R + \overline{C}_{HB}^R) K^R + (\overline{C}_{FC}^O + \overline{C}_{HB}^O) K^O - (\overline{C}_{FC}^{BC} + \overline{C}_{HB}^{BC}) K^{BC} \right)
$$
(20)

$$
\Delta C_D = c_D \left(\overline{D}^R K^R + \overline{D}^O K^O - \overline{D}^{BC} K^{BC} \right)
$$
 (21)

$$
\Delta C_T = \frac{c_T^R}{u^R} \left[\overline{D}^R K^R + \frac{\theta}{\gamma} \overline{D}^O K^O - \overline{D}^{BC} K^{BC} \right]
$$
 (22)

$$
\Delta C_{s} = \left(K^{R} - K^{BC}\right)S^{R}
$$
\n(23)

As shown, the incremental costs depend on how the carrier organizes its operations, in terms of the number of tours during the regular and the off-hours. Three different possibilities exist. The total number of tours in the mixed operation (KM) could either be: smaller than, equal to, or higher than the number of tours in the base case (KBC). However, for the reasons discussed elsewhere [\(Holguín-Veras, 2008\)](#page-21-0) there are only two relevant cases, (KM =KBC, and KM =KBC+1). Since the formulations developed are able to accommodate all cases, only the case of $K^M = K^{BC}$ are discussed in detail. The reader shall notice that in the multi-tour case there is no need to discuss the sub-cases that arise if the number of receivers in the off-hours is less than or equal to the one in the case, as this is implicitly captured by the number of trips made. For $K^M = K^{BC}$ and since $(\overline{C}_{FC}^R + \overline{C}_{HB}^R) \cong (\overline{C}_{FC}^{BC} + \overline{C}_{HB}^{BC})$ *HB BC FC R HB* $\overline{C}_{FC}^R+\overline{C}_{HB}^R)\cong(\overline{C}_{FC}^{BC}+\overline{C}_{HB}^{BC})$, the incremental fixed cost (ΔC_{F}) is:

$$
\Delta C_F \cong \left((\overline{C}_{FC}^O + \overline{C}_{HB}^O) - (\overline{C}_{FC}^{BC} + \overline{C}_{HB}^{BC}) \right) K^O \tag{24}
$$

Equation (24) shows that the magnitude of the fixed cost depends on the relation between the fixed costs for the base case and the one for the off-hours. In cases where the customers accepting off-hour deliveries are closer to the carrier home base, than those receiving during regular hours there will be savings ($\Delta C_{F} < 0$); otherwise, higher costs would accrue.

The incremental distance cost shown in equation (25), captures the additional distance related costs the carrier would incur. In terms of the approximation model, for $K^M = K^{BC}$:

$$
\Delta C_D = \phi c_D \left[\left(\sqrt{\overline{A}^R \overline{N}^R} - \sqrt{\overline{A}^{BC} \overline{N}^{BC}} \right) K^{BC} + \left(\sqrt{\overline{A}^O \overline{N}^O} - \sqrt{\overline{A}^R \overline{N}^R} \right) K^O \right]
$$
(25)

Assuming
$$
\sqrt{A}^R \overline{N}^R \cong \sqrt{A}^{BC} \overline{N}^B
$$
 leads to:
\n
$$
\Delta C_D \cong \phi C_D (\sqrt{A}^O \overline{N}^O - \sqrt{A}^R \overline{N}^R) K^O
$$
\n(26)

Equation (26) shows that the incremental distance cost is a function of how compact the offhour delivery tours are with respect to the tours in the regular hours. Off-hour delivery tours with customers relatively close together will require shorter travel distances and travel times, leading to cost savings. At the other end of the spectrum, off-hour delivery tours serving customers far away from each other would bring about significant cost increases. Again, this provides another indication of the potential benefits attributable to geographic segmentation of receivers.

The incremental time costs are for $K^M = K^{BC}$, and $K^R = K^{BC} - K^O$ equal to:

$$
\Delta C_T = \phi \frac{c_T^R}{u^R} \left[\left\{ \sqrt{A^K N^R} - \sqrt{A^{BC} N^{BC}} \right\} K^{BC} + \left\{ \frac{\theta}{\gamma} \sqrt{A^O N^O} - \sqrt{A^K N^R} \right\} K^O \right] \tag{27}
$$

For the case in which
$$
\sqrt{\overline{A}^R \overline{N}^R} \cong \sqrt{\overline{A}^{BC} \overline{N}^{BC}}
$$
:
\n
$$
\Delta C_T \cong \phi \frac{c_T^R}{u^R} \left[\frac{\theta}{\gamma} \sqrt{\overline{A}^O \overline{N}^O} - \sqrt{\overline{A}^R \overline{N}^R} \right] K^{OP}
$$
\n(28)

As in the case of incremental distance cost, the incremental time cost depends on the difference between the time costs between the off and regular hour. Furthermore, since it is likely that θ / γ < 1, the time related savings accrue faster than in the case of distance related savings.

The incremental toll cost, shown in equation (29), is equal to the amount of money saved by switching KO trips to the off-hours. If $K^M = K^{BC}$, $K^R = K^{BC} - K^O$:

$$
\Delta C_{s} = -K^{OP} S^{R} \tag{29}
$$

In general terms, the results shown above are consistent with the ones for single-tour carriers. As in the previous case, and for similar reasons, the most important cost components are the incremental fixed costs, and the incremental time costs.

CASE II: CARRIER-RECEIVER RESPONSE UNDER TIME-DISTANCE PRICING

This chapter considers the case of a time-distance pricing scheme in which the toll is a function of the time spent and the distance traveled in the tolled area. To analyze the performance of such systems, the formulations obtained in the previous chapter were suitable modified. The following sections discuss the results for single and multi-tour carriers. For the sake of brevity, only final results are discussed.

Single tour carriers under time-distance pricing

Under a time-distance pricing scheme, the carrier would be charged a toll that is a function of the time and distance traveled during the regular and the off-hours. The corresponding incremental toll cost is shown below.

$$
\Delta C_{TDP} = \begin{cases} \left[\alpha_r^R \left(T^R - T^{BC} \right) + \alpha_r^O T^O \right] + \left[\alpha_p^R \left(D^R - D^{BC} \right) + \alpha_p^O D^O \right] i \forall_{N^O < N^{BC}} \\ \left[\alpha_p^O T^O - \alpha_r^R T^{BC} \right] + \left[\alpha_p^O D^O - \alpha_p^R D^{BC} \right] \forall_{N^O = N^{BC}} \end{cases} \tag{30}
$$

Where:

 α_D^R , α_D^O = Distance based unit toll for distance traveled in tolled area (regular, and off-hours) α_T^R , α_T^O = Time based unit toll for time spent in tolled area (regular, and off-hours)

Equation (30) indicates that, in sharp contrast with the cordon pricing case, the time-distance tolls do play a role in fostering off-hour deliveries. As shown, the higher the values of the unit charges and the time/distance switched to the off-hours, the stronger the incentive to do off-hour deliveries. To assess the impact of time-distance tolls, it is best to incorporate the incremental toll costs into the incremental fixed, distance, and time costs obtained before. This leads to:

$$
\Delta C_{F,TDP} + \Delta C_{D,TDP} + \Delta C_{T,TDP} \le \Delta G_j
$$
\n(31)

In mathematical terms:

$$
\Delta C_{F,TDP} \cong \begin{cases} c_D \left(D_{FC}^O + D_{HB}^O \right) + c_T^O \left(T_{FC}^O + T_{HB}^O \right) \forall_{N^O < N^{BC}} \\ 0, i \forall_{N^O = N^{BC}} \end{cases} \tag{32}
$$

$$
\Delta C_{D,TDP} = \begin{cases} \left(c_D + \alpha_D^R \right) \left(D^R - D^{BC}\right) + \left(c_D + \alpha_D^O\right) D^O, \forall_{N^O < N^{BC}}\\ \left(\alpha_D^O - \alpha_D^R\right) D^{BC}, \forall_{N^O = N^{BC}} \end{cases} \tag{33}
$$

$$
\Delta C_{T, TDP} = \begin{cases} \left(c_T^R + \alpha_T^R \right) T^R - T^{BC} + \left(c_T^O + \alpha_T^O \right) T^O, \forall_{N^O < N^{BC}} \\ \left(c_T^O + \alpha_T^O \right) T^O - \left(c_T^R + \alpha_T^R \right) T^{BC}, \forall_{N^O = N^{BC}} \end{cases} \tag{34}
$$

Equation (32) indicates that time-distance pricing does not impact the incremental fixed cost as the trip to and from the home base to the study area is not tolled. Equations (34) and (35) have very similar structures. The first terms in both equations reflect the reduction in regular hour travel costs due to the off-hour delivery operation; while the second terms capture the costs associated with off-hour deliveries. In both cases, the first terms are negative (cost savings) because $T^R < T^{BC}$ and $D^R < D^{BC}$, while their second terms are positive (cost increases). Furthermore, since the externalities produced by traveling during the regular hours are larger than the ones during the off-hours, a sound pricing structure would lead to $\alpha_r^R \gg \alpha_r^Q$ $\alpha_T^{\scriptscriptstyle R} > > \alpha_T^{\scriptscriptstyle O}$, and *O* α_D^R $>$ α_D^O . This implies that the savings in time related costs (the first term) will increase with the magnitude of the unit distance-time tolls. Obviously, as the number of off-hour receivers increases the overall profitability also increases. These results stand in sharp contrast with the ones for cordon pricing, discussed in the previous chapter, in which it was proven that the tolls have no impact whatsoever in inducing a shift to the off-hours.

Multi tour carriers under time-distance pricing

It is straightforward to extend the results of the previous section to the case of multi-tour carriers. With proper manipulations, the following results can be found:

$$
\Delta C_{F,TDP} \cong \left(c_D + \alpha_D^O - \beta_D^O\right)\left(\overline{D}_{FC}^O + \overline{D}_{HB}^O\right) + \left(c_T^O + \alpha_T^O - \beta_T^O\right)\left(\overline{T}_{FC}^O + \overline{T}_{HB}^O\right)K^O\tag{35}
$$

$$
\Delta C_{T,TDP} = \left(c_T^R + \alpha_T^R\right) \left(\overline{T}^R K^R - \overline{T}^{BC} K^{BC}\right) + \left(c_T^O + \alpha_T^O - \beta_T^O\right) \overline{T}^O K^O \tag{36}
$$

$$
\Delta C_{D,TDP} = \left(c_D + \alpha_D^R \right) \left(\overline{D}^R K^R - \overline{D}^{BC} K^{BC}\right) + \left(c_D + \alpha_D^O - \beta_D^O\right) \overline{D}^O K^O \tag{37}
$$

In qualitative terms, these results imply that the number of tours transferred to the off-hours do matter, as it increases the fixed costs. In other words, the more tours are transferred to the offhours, the larger the incremental distance and cost savings.

Perfectly complementary service areas:

$$
\Delta C_{TDP} = \phi \sqrt{\frac{\overline{A}^{BC}}{\overline{N}^{BC}}} \left[\left(\alpha_D^R + \frac{\alpha_T^R}{u^R} \right) \left(\overline{N}^R K^R - \overline{N}^{BC} K^{BC} \right) + \left(\alpha_D^O + \frac{\alpha_T^O}{u^R} \right) \overline{N}^O K^O \right]
$$
(38)

Expected value:

$$
\Delta C_{TDP} = \phi \sqrt{\overline{A}_o} \left[\left(\alpha_{D}^R + \frac{\alpha_{T}^R}{u^R} \right) \left(K^R \left(\frac{\overline{N}^R - 1}{\overline{N}^R + 1} \right) \sqrt{\overline{N}^R} - K^{BC} \left(\frac{\overline{N}^{BC} - 1}{N^{BC} + 1} \right) \sqrt{\overline{N}^{BC}} \right) \right]
$$
(39)

Perfectly overlapping service areas:

$$
\Delta C_{D,TDP} = \phi \sqrt{\overline{A}^{BC} \overline{N}^{BC}} \left[\left(\alpha_D^R + \frac{\alpha_T^R}{u^R} \right) \left(K^R \sqrt{\frac{\overline{N}^R}{\overline{N}^{BC}}} - 1 \right) + \left(\alpha_D^O + \frac{\alpha_T^O}{u^R} \right) K^O \sqrt{\frac{\overline{N}^O}{\overline{N}^{BC}}} \right]
$$
(40)

 $(c_D + \alpha_D^o - \beta_D^o) \overline{D}_R^o + \overline{D}_m^o + [c_f^o + \alpha_F^o - \beta_f^o) \overline{U}_{IC}^o + \overline{U}_{IB}^o]$
 $(c_f^k + \alpha_f^k) (\overline{I}^{\kappa} K^{\kappa} - \overline{I}^{\kappa \kappa} K^{\kappa}) + (c_f^o + \alpha_f^o - \beta_f^o) \overline{I}^{\kappa} C^{\kappa} C^{\kappa}$
 $(c_{D} + \alpha_{D}^{\kappa}) (\overline{D}^{\kappa} K^{\kappa} - \overline{I}^{\kappa \kappa$ In order to provide a frame of reference, numerical experiments were conducted. The results are presented in [\(Holguín-Veras, 2009\)](#page-21-7). In the case of cordon time-of-day pricing, increasing the number of off-hour deliveries increases total costs, in the PO and EV cases, up to a point where it starts to decrease. In the PC case, increasing the amount of off-hour deliveries always lead to cost reductions. In the PC and EV cases, the off-hour delivery operation is profitable if at least nineteen receivers agree to participate in off-hour deliveries. In contrast, the PO case requires full participation of the receivers for the off-hour deliveries to be profitable. It is shown that timedistance pricing leads to small changes in incremental costs in the PO case, and a reduction in the breakeven number of receivers in both PC and EV cases.

SECOND ORDER EFFECTS ON RECEIVERS AND CARRIERS

Throughout the discussions in the preceding sections, the main focus has been on the direct (1st order) effects that the pricing schemes and financial incentives have on carrier and receiver

behavior. However, a policy stimulus aimed at one agent could impact the other. This chapter discusses two such effects, which are the transfer of toll costs from carriers to receivers (m_i) and the transfer of financial incentives from receivers to carriers (F_{ii}) .

Impacts of the transfer of toll costs on delivery rates

This section considers the impact that the pricing scheme has on delivery rates. The analyses assume a perfect competitive market with delivery rates equal to marginal costs. Although there are a number of different metrics that could be used as the unit of output, the paper uses the number of customers as it is directly tied to the models developed in the paper. In each case, the marginal costs are computed to gain insight into if, and how much of, the toll costs could be passed to receivers. This is an important policy question as, in order to induce a change in delivery times, a strong price signal must reach the receivers. There are two sub-cases worthy of discussion. The first one is when a receiver is transferred from a regular hour to an off-hour tour of the same carrier, leading to conservation of customers and a perfect inverse correlation between NR and NO. The second one is when the numbers of customers in each time period are not correlated, e.g., when a customer from another carrier is inserted in an existing tour. Some previous derivations explained elsewhere [\(Holguín-Veras, 2008\)](#page-21-0) show that the marginal cost under time-distance pricing depends on the number of receivers and the time-distance unit tolls.

The previous section shows that time-distance pricing would enable carriers to transfer toll costs to receivers. However, the key question is whether or not this provides enough of an incentive for the receiver to switch to the off-hours. To answer it, one must compare the toll transfer to the incremental cost associated with a switch to the off-hours [\(Holguín-Veras, 2008\)](#page-21-0).

The analysis takes into account that a receiver considering off-hours will face costs that depend on the amount of time it takes the deliveries to arrive during the off-hour period. Assuming that the goal is to induce all receivers in a tour to switch to the off-hours, the last receiver in the tour is going to accrue the costs associated with waiting for the delivery truck to travel to all previous customers, and make the corresponding deliveries. For all receivers to switch to the off-hours, the toll component of the delivery rate must be larger than the incremental cost associated with switching to the off-hours for the last receiver in the tour. Moreover, based on the work presented in [\(Holguín-Veras, 2008\)](#page-21-0), the longer the tour, the higher the tolls required to induce the switch of all receivers.

To put things in perspective, numerical estimates have been produced with the data available for New York City. The in depth interviews conducted [\(Holguín-Veras, 2006\)](#page-21-8) indicate that expanding hours of operation into the off-hours would cost the typical receiver in New York City between \$20 to \$100 for each additional hour in the off period. For a tour with only one

customer the combined time-distance unit tolls, tolls, i.e., $(\alpha_h^R + \alpha_r^R / \mu^R)$ $\alpha_{D}^{R} + \alpha_{T}^{R} / u^{R}$), is about \$6; while for the average tour with five receivers is equal to \$30/mile. Regardless of how the \$30/mile are allocated between $\alpha_{\scriptscriptstyle D}^{\scriptscriptstyle R}$ and $\alpha_{\scriptscriptstyle T}^{\scriptscriptstyle R}$, the author is doubtful that such tolls could be implemented in real life, as they are about five times larger than current base case costs. This implies that given the constraints imposed by the political realities, time-distance pricing may end up either not having any impact on carrier-receiver behavior, or only impacting the deliveries made using very short tours.

These considerations lead the author to believe that time-distance pricing by itself would only have a minor effect on inducing a switch of truck traffic to the off-hours. In other words, without the assistance of other policies that encourage receiver participation in off-hour deliveries, timedistance pricing is not likely to lead to a balanced distribution of truck traffic throughout the day.

Transfer of financial incentives to carriers

This section discusses the potential transfers of financial incentives from receivers to carriers (Fij), e.g., higher rates during the off-hours. This takes into account that a receiver, faced with the prospect of not receiving the incentive because of the lack of a willing carrier, may decide to transfer part of the incentive F to the carrier. Assessing the likely role of F_{ii} is achieved by identifying the key cases.

Consider a situation in which the incentive F provided to the receivers is small so that only a small fraction of the receivers decide to accept off-hour deliveries. If the number of receivers willing to accept off-hour deliveries is small, the carrier will not agree either because the off-hour operation would not be profitable. Moreover, since the financial incentive is small, the receivers would not be able to cover their costs and share it with the carrier. In this situation, F_{ii} would be equal to zero. At the other end of the spectrum, a large incentive F would lead all receivers in the tour to accept off-hour deliveries. However, if all receivers switch to the off-hours the carrier would switch without any external stimulus because the cost savings are enticing enough. Since the receivers play the dominant role, and that carriers have an incentive to participate and therefore a weak negotiating position, it is likely that receivers would keep the financial incentive to themselves. In this case, F_{ii} would also be equal to zero.

 F_{ij} could be expected to be different than zero at a very particular region in between these extremes, i.e., when the carrier's mixed operation is at the verge of profitability and the receivers have extra funds to share. Faced with the prospect of not receiving the incentive F, the receivers could transfer F_{ii} to the carrier and both of them would be better off. However, since the region in which F_{ii} could be different than zero is likely to be narrow, this author believes that the role of F_{ii} could be disregarded, as it is only active at the margins.

POLICY IMPLICATIONS AND CONCLUDING REMARKS

The paper established the presence of a market failure that prevents the urban delivery industry to reach the most efficient outcome, i.e., off-hour deliveries. At the root of the failure mechanism one finds the opposition of receivers to embrace off-hour deliveries because of the additional costs, and the inability of the carriers to accrue enough savings during off-hours work to compensate the receivers for their additional costs. The estimates from New York City indicate that the total costs to receivers are on average 85% larger than the total savings to the carriers. This means that, even if the carriers transfer all the savings accrued during off-hours work to the receivers it would not be enough to fully compensate the latter. For that reason, in the absence of financial incentives to receivers or programs such as unassisted off-hour deliveries that could reduce receiver costs, most receivers will oppose off-hour deliveries. This outcome deprives the entire urban delivery industry, and the metropolitan areas where deliveries take place, from moving operations to the off-hours and achieving a more efficient and sustainable state.

In addition, the paper has produced a number of important findings that provide insight for policy making. One of the key ones is that the receivers' decisions regarding whether or not to accept off-hour deliveries impact the carriers in different ways. The first and most obvious one, i.e., that the carrier cannot do off-hour deliveries without the concurrence of the receivers, was already identified in previous publications [\(Holguín-Veras et al., 2007a;](#page-21-2) [Holguín-Veras, 2008;](#page-21-0) [Holguín-](#page-21-11)[Veras et al., 2008\)](#page-21-11). A not so obvious way has to do with the service areas that arise from the receivers' decisions. This is important because the size of these service areas determine the distance and travel times, and the profitability for the carrier that would do the off-hour deliveries. In terms of carrier profitability, the paper identifies three configurations of service areas that correspond to: an approximation to the best case (perfectly complementary), the expected value condition, and the worst case scenario (perfectly overlapping).

The models presented in this paper show that the profitability of the mixed operation depends on the distance from the carrier's home base to the receivers. The farther the carrier is the less profitable the mixed operation: carriers located close to the study area should be the primary target of interest.

The paper also analyzed the performance of cordon time-of-day and time-distance pricing. The results produced have subtle and notable implications in terms of who would support the pricing scheme. In the case of cordon time-of-day pricing, since the carriers have great difficulties in passing the toll costs to receivers, most carriers have to absorb the toll costs. Under timedistance pricing, carriers would be able to pass toll costs to the receivers (though this may take time to allow for new contracts to be written) meaning that the price signals would reach the receivers. In essence, time-distance pricing transfers the toll burden from the carriers to the receivers.

The analytical formulations provide insight into the effectiveness of pricing schemes as a freight demand management tool. Two results stand out. The first one is that cordon time-of-day pricing is of limited use for freight demand management purposes. This is because of: (1) in competitive markets carriers have great difficulties passing toll costs to receivers; and (2) the cordon toll—unless all receivers switch to the off-hours, which is the least likely case—plays no role in incenting the carrier to switch to the off-hours. It should not surprise anyone that cordon time-of-day pricing does not achieve the intended freight demand management goals, though it could certainly play a role as a revenue generation tool.

The analyses conclusively show that—since time-distance tolls enter into the marginal costs carriers should be able to pass them to the receivers. However, since in order to induce the receivers to switch to the off-hours, the price signal reaching them must be greater than the receivers' costs associated with extending operations to the off-hours, the required timedistance unit tolls are extremely high. Due to the political unfeasibility of such tolls, it is doubtful that time-distance pricing could play a primary role in freight demand management, though it could be a complementary policy.

The key implication of all of this is that achieving the goal of switching a meaningful portion the regular hour truck traffic to the off-hours requires providing financial incentives to the receivers, or the development of programs, e.g., to foster unassisted off-hour deliveries to enable businesses to safely receive deliveries in the off-hours without staff present. Such voluntary programs are likely to attract a meaningful number of receivers. Since the corresponding carriers are likely to benefit from the switch to the off-hours—because of the lower costs and higher productivity—it is likely that the carriers would follow suit.

This alternative is clearly superior to either forcing all receivers to do off-hour deliveries—as it is done in Beijing, China—because it would lead to widespread cost increases; or using road pricing approaches that charge tolls to the carriers in the hope that they would pass toll costs to the receivers, and that these would lead the receivers to switch to the off-hours. As shown in the paper, the latter is not likely to happen because either the carriers have difficulties passing costs to receivers (under cordon time-of-day tolls); or because the unit time-distance tolls required to induce a behavior change would have be so high that are not likely to be politically feasible.

Obviously, a paradigm shift is needed. Should transportation policy makers be willing to embrace the fundamental findings of this research, it could open the door to more cost effective freight demand management that would be embraced by both carriers and receivers. Such freight industry friendly approaches could be a welcomed addition to the transportation policy toolkit.

ACKNOWLEDGEMENTS

The research reported here was supported by the United States Department of Transportation's (USDOT) "Integrative Freight Demand Management in the New York City Metropolitan Area," (DTPH56-06-BAA-0002) funded by the Commercial Remote Sensing and Spatial Information Technology Application Program. This paper does not represent the official position of the USDOT. A preliminary version of this paper was presented at a plenary session of the International Transportation Economics Conference in Minneapolis, Minnesota, in 2009.

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